

```

> fq := {
0. p < -5
0.161711971 (p + 5.)^3 p < -3
-1.798464149 p^2 - 0.544033315 p + 7.541565235 - 0.3076373305 p^3 p < -1
0.0809338641 p^3 - 0.6327505649 p^2 + 0.6216802691 p + 7.930136430 p < 1
0.07445052690 p^3 - 0.613300552 p^2 + 0.602230257 p + 7.936619768 p < 3
0.0019182821 p^3 + 0.039489651 p^2 - 1.35614035 p + 9.894990378 p < 5
-0.00256603524 p^3 + 0.106754411 p^2 - 1.69246414 p + 10.45553002 p < 7
-0.00254356370 p^3 + 0.106282509 p^2 - 1.68916084 p + 10.44782231 p < 9
-0.02031067084 p^3 + 0.585994401 p^2 - 6.00656786 p + 23.40004343 p < 11
0.04137545813 p^3 - 1.449647855 p^2 + 16.38549696 p - 58.70419431 p < 13
-0.0273325019 (p - 15.)^3 p < 15
0. 15 ≤ p
}

```

```

> m := piecewise(1 ≤ p ≤ 9, fq)

```

```

m := {
0. p < -5
0.161711971 (p + 5.)^3 p < -3
-1.798464149 p^2 - 0.544033315 p + 7.541565235 - 0.3076373305 p^3 p < -1
0.0809338641 p^3 - 0.6327505649 p^2 + 0.6216802691 p + 7.930136430 p < 1
0.07445052690 p^3 - 0.613300552 p^2 + 0.602230257 p + 7.936619768 p < 3
0.0019182821 p^3 + 0.039489651 p^2 - 1.35614035 p + 9.894990378 p < 5
-0.00256603524 p^3 + 0.106754411 p^2 - 1.69246414 p + 10.45553002 p < 7
-0.00254356370 p^3 + 0.106282509 p^2 - 1.68916084 p + 10.44782231 p < 9
-0.02031067084 p^3 + 0.585994401 p^2 - 6.00656786 p + 23.40004343 p < 11
0.04137545813 p^3 - 1.449647855 p^2 + 16.38549696 p - 58.70419431 p < 13
-0.0273325019 (p - 15.)^3 p < 15
0. 15 ≤ p
}

```

1 ≤ p and p :

otherwise

```

> # Approach using convert

```

```

> f := convert(fq, pwlist)

```

```

f := [0., -5, 0.161711971 (p + 5.)^3, -3, -1.798464149 p^2 - 0.544033315 p + 7.541565235
- 0.3076373305 p^3, -1, 0.0809338641 p^3 - 0.6327505649 p^2 + 0.6216802691 p
+ 7.930136430, 1, 0.07445052690 p^3 - 0.613300552 p^2 + 0.602230257 p

```

(2)

+ 7.936619768, 3, 0.0019182821  $p^3$  + 0.039489651  $p^2$  - 1.35614035  $p$  + 9.894990378,  
 5, -0.00256603524  $p^3$  + 0.106754411  $p^2$  - 1.69246414  $p$  + 10.45553002, 7,  
 -0.00254356370  $p^3$  + 0.106282509  $p^2$  - 1.68916084  $p$  + 10.44782231, 9,  
 -0.02031067084  $p^3$  + 0.585994401  $p^2$  - 6.00656786  $p$  + 23.40004343, 11,  
 0.04137545813  $p^3$  - 1.449647855  $p^2$  + 16.38549696  $p$  - 58.70419431, 13,  
 -0.0273325019  $(p - 15.)^3$ , 15, 0.]

>  $m := \text{piecewise}(1 \leq p \leq 3, f[9], 3 \leq p \leq 5, f[11], 5 \leq p \leq 7, f[13], 7 \leq p \leq 9, f[15])$   
 $m :=$  (3)

$$\left\{ \begin{array}{ll} 0.07445052690 p^3 - 0.613300552 p^2 + 0.602230257 p + 7.936619768 & 1 \leq p \text{ and } p \leq 3 \\ 0.0019182821 p^3 + 0.039489651 p^2 - 1.35614035 p + 9.894990378 & 3 \leq p \text{ and } p \leq 5 \\ -0.00256603524 p^3 + 0.106754411 p^2 - 1.69246414 p + 10.45553002 & 5 \leq p \text{ and } p \leq 7 \\ -0.00254356370 p^3 + 0.106282509 p^2 - 1.68916084 p + 10.44782231 & 7 \leq p \text{ and } p \leq 9 \end{array} \right.$$

> # Approach using op

>  $m := \text{piecewise}(1 \leq p \leq 3, \text{op}(10, fq), 3 \leq p \leq 5, \text{op}(12, fq), 5 \leq p \leq 7, \text{op}(14, fq), 7 \leq p \leq 9, \text{op}(16, fq))$

$m :=$  (4)

$$\left\{ \begin{array}{ll} 0.07445052690 p^3 - 0.613300552 p^2 + 0.602230257 p + 7.936619768 & 1 \leq p \text{ and } p \leq 3 \\ 0.0019182821 p^3 + 0.039489651 p^2 - 1.35614035 p + 9.894990378 & 3 \leq p \text{ and } p \leq 5 \\ -0.00256603524 p^3 + 0.106754411 p^2 - 1.69246414 p + 10.45553002 & 5 \leq p \text{ and } p \leq 7 \\ -0.00254356370 p^3 + 0.106282509 p^2 - 1.68916084 p + 10.44782231 & 7 \leq p \text{ and } p \leq 9 \end{array} \right.$$

>